

Grade Level/Course: Grades 3-5

Lesson/Unit Plan Name: Do I Really Have to Teach Measurement?

Rationale/Lesson Abstract: With measurement being a large component in Common Core, this lesson provides strategies to introduce and convert within the Customary Standard and Metric Systems.

Timeframe: Recommend spending a day on each system of units. It will depend on each grade-level and how many units of measurement are being taught.

Common Core Standard(s):

3.MD.2: Measure and estimate liquid volumes and masses of objects using standard units of grams (g), kilograms (kg), and liters (l). Add, subtract, multiply, or divide to solve one-step word problems involving masses or volumes that are given in the same units, e.g., by using drawings (such as a beaker with a measurement scale) to represent the problem.

4.MD.1: Know relative sizes of measurement units within one system of units including km, m, cm; kg, g; lb, oz.; l, ml; hr, min, sec. Within a single system of measurement, express measurements in a larger unit in terms of a smaller unit. Record measurement equivalents in a two-column table. *For example, know that 1 ft is 12 times as long as 1 in. Express the length of a 4 ft snake as 48 in. Generate a conversion table for feet and inches listing the number pairs (1, 12), (2, 24), (3, 36), ...*

4.MD.2: Use the four operations to solve word problems involving distances, intervals of time, liquid volumes, masses of objects, and money, including problems involving simple fractions or decimals, and problems that require expressing measurements given in a larger unit in terms of a smaller unit. Represent measurement quantities using diagrams such as number line diagrams that feature a measurement scale.

5.MD.1: Convert among different-sized standard measurement units within a given measurement system (e.g., convert 5 cm to 0.05 m), and use these conversions in solving multi-step, real world problems.

Instructional Resources/Materials:

- Copies of Unit of Measurement Charts
- Items to represent relative size of different units: measuring tape, rulers, maps, beaker, dropper, pitcher, gallon jug, scale, soda bottle, etc.

Activity/Lesson:Introduction

Learning the relative size for each unit of measurement is like teaching a kindergartener recognizing numbers. They need to memorize what the number six looks like and it comes before seven and after five. But when we have kindergarteners build or draw a visual representation of the quantity of five, six, and seven next to each other, kindergarteners begin to recognize the number six to its quantity and the value compared to other numbers. We will use the same approach to introduce each unit of measurement.

Build Background

Use a measuring tape or ruler to draw a line that is one inch long and a line that is one foot long on the board. Ask students why our height is measured in feet and not in inches. Have students share their reasoning with their partner and with the class. Discuss with students that measuring our height in feet is a more efficient way to measure our height than in inches, because foot is a larger unit than inch. Ask students for some examples of items that will be more efficient to measure with inches (i.e. length of an arm, waist, width of desk, etc.).

Activity: Unit of Measurement Hunt

The following charts provide the relative size of each unit of measurement. Have samples of each measurement ready to give students visual representation of the measurement. For example, when introducing Customary Length, have items that measure an inch, a foot, a yard ready to display. You may want to show distance of one location to another on a map to represent a mile. Once students understand the relative size of each measurement, introduce the Unit of Measurement Hunt to students. Students are to find as many examples that use the specific unit of measurement and create a log. Allow students to continue the activity outside of school so they can explore measurement of items they use in their everyday life. Encourage students to work on the hunt with their families. You may have to provide some extra examples when students get to the Metric System since many of our everyday items are in the US Customary System.

Conversion Chart

Customary Length	
12 in	1 ft
3 ft	1 yd
1760 yd	1 mi

Customary Weight	
16 oz	1 lb
2000 lb	1 ton

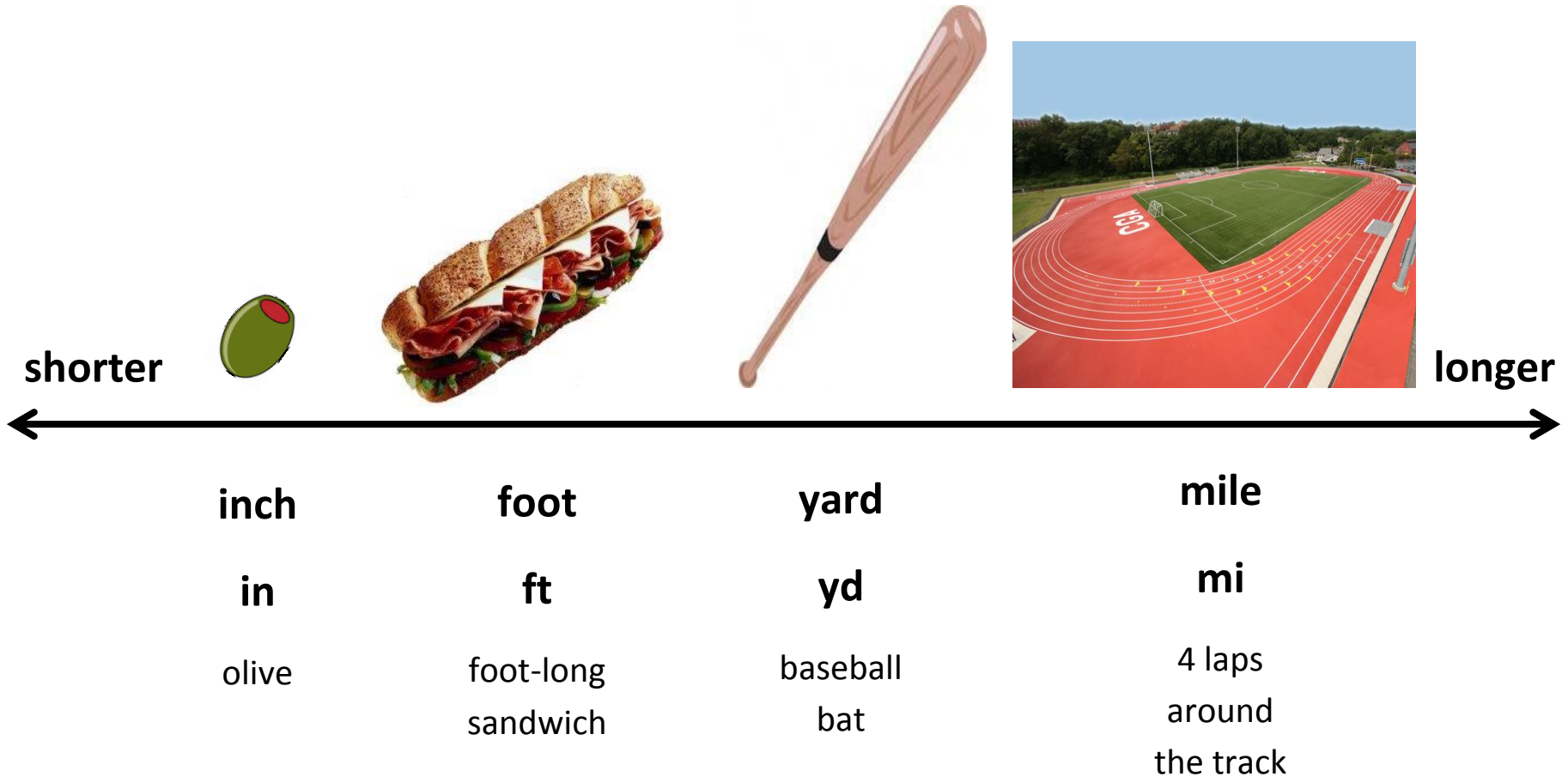
Customary Capacity	
8 fl oz	1 c
2 c	1 pt
2 pt	1 qt
4 qt	1 gal

Metric Length	
10 mm	1 cm
100 cm	1 m
1000 m	1 km

Metric Mass	
1000 mg	1 g
1000 g	1 kg

Metric Capacity	
1000 mL	1 L

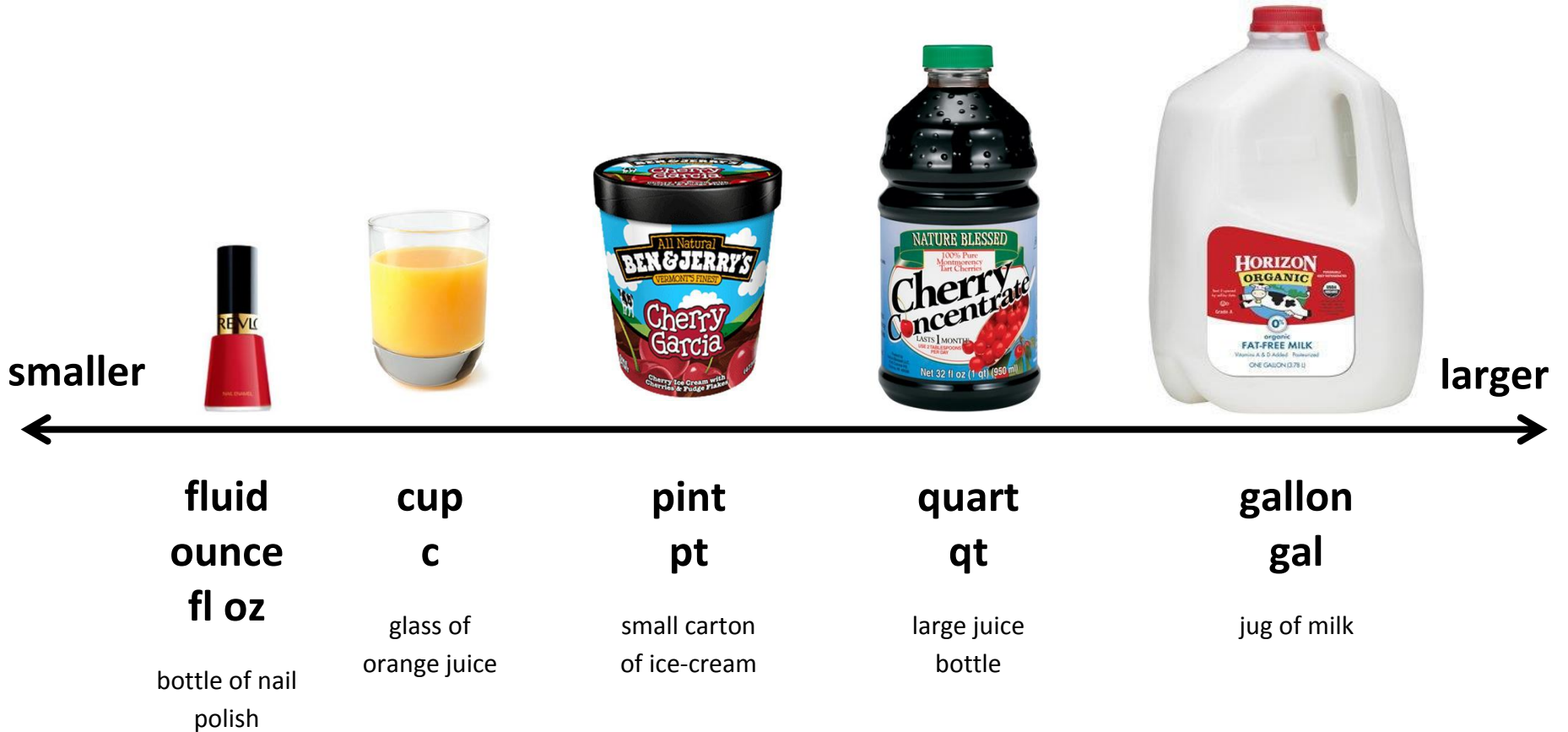
Customary Length



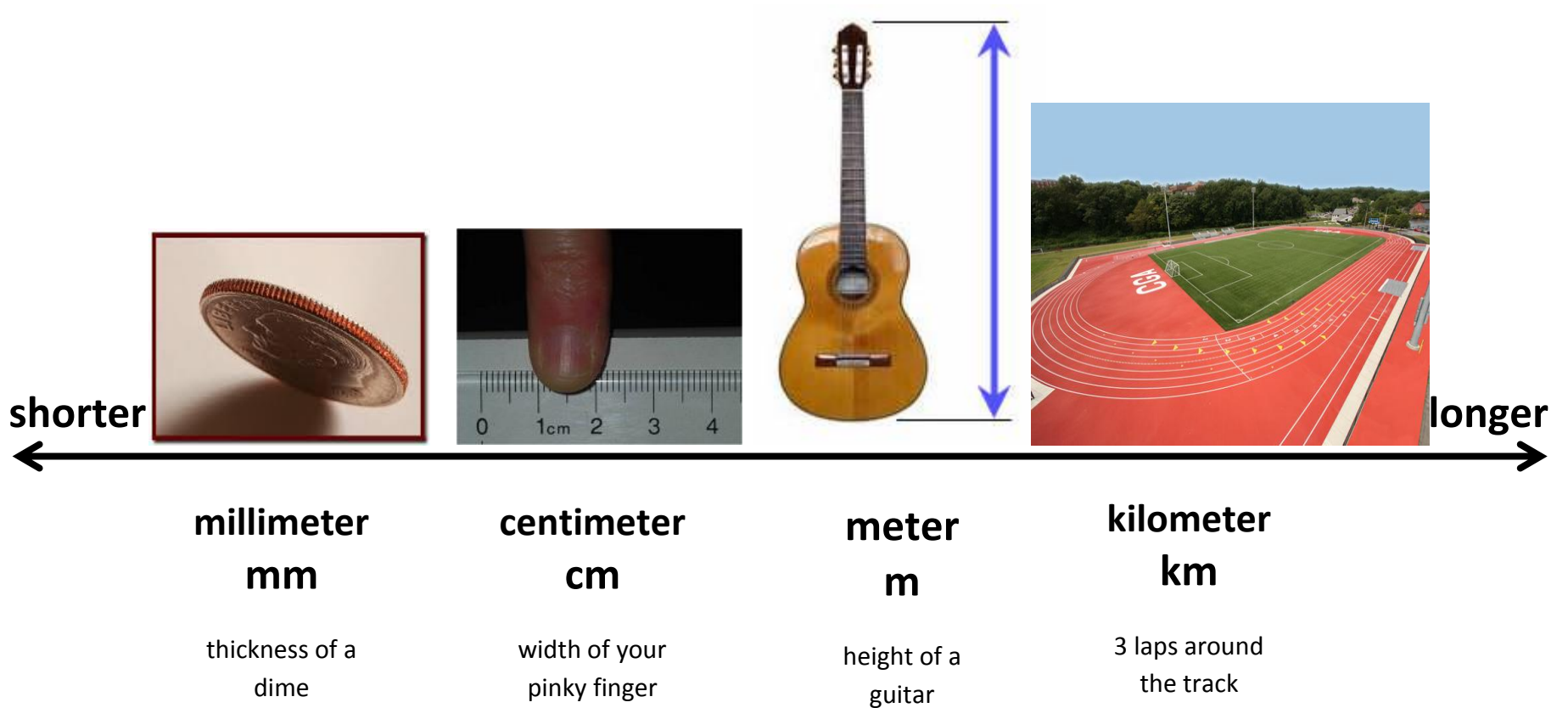
Customary Weight



Customary Capacity



Metric Length



Metric Mass



smaller

larger

milligram

mg

a leaf

gram

g

a thumbtack

kilogram

kg

a genuine gold
coin

Metric Capacity



smaller

larger

milliliter
mL

a dropper

liter
L

a large soda
bottle

Converting Unit of Measurements:

Function tables and decomposition can be used to convert any unit of measurement within the same measurement system.

Example #1

How many inches are in 4 feet?

First, we need to know how many inches are in one foot.

$$1 \text{ foot} = 12 \text{ inches}$$

Line Model

Now we can start building our line model with 1 foot on one line and the equivalent 12 inches on the line below it. Since we need to find out how many inches are in 4 feet, we will build our model piece-by-piece until we reach 4 feet.

Unit of Measurement				
feet	1 ft	1 ft	1 ft	1 ft
inches	12 in	12 in	12 in	12 in

Now we can add our feet and inches to find out how many inches are in 4 feet.

$$\begin{aligned} 1 \text{ ft} &= 12 \text{ in} \\ 1 \text{ ft} &= 12 \text{ in} \\ 1 \text{ ft} &= 12 \text{ in} \\ +1 \text{ ft} &= +12 \text{ in} \\ \hline 4 \text{ ft} &= 48 \text{ in} \end{aligned}$$

Is there a shorter way to show this repeated addition?

$$\begin{aligned} 4 \times 1 \text{ ft} &= 4 \text{ ft} \\ 4 \times 12 \text{ in} &= 48 \text{ in} \end{aligned}$$

Function Table

(x) ft	(y) in
1	12
2	24
3	36
4	48
x(12)	y

Rule: $12x = y$ or $x = \frac{y}{12}$

\therefore There are 48 inches in 4 feet

**Discuss with students which rule is best for finding feet to inches and which is best for inches to feet.*

Decomposition

$$\begin{aligned} & \text{unit} \cdot \frac{\text{conversion}}{\text{equivalent unit}} \\ &= 4 \text{ ft} \cdot \frac{12 \text{ in}}{1 \text{ ft}} \\ &= \frac{4 \text{ ft}}{1} \cdot \frac{12 \text{ in}}{1 \text{ ft}} \\ &= \frac{4 \cdot \text{ft} \cdot 12 \cdot \text{in}}{\text{ft}} \\ &= 4 \cdot 12 \cdot \text{in} \\ &= 48 \cdot \text{in} \\ &= 48 \text{ in} \end{aligned}$$

**This method can be challenging for 5th grade students. Introduce this method based on your students' abilities.*

You Try

How many feet are in 84 inches? Solve using two different methods.

Example #2

How many meters are in 600 centimeters?

$$100\text{cm} = 1\text{m}$$

Line Model

Unit of Measurement	1 m	1 m	1 m	1 m	1 m	1 m
meters						
centimeters	100 cm	100 cm	100 cm	100 cm	100 cm	100 cm

$$1\text{m} = 100\text{cm}$$

$$1\text{m} = 100\text{cm}$$

$$1\text{m} = 100\text{cm}$$

$$1\text{m} = 100\text{cm}$$

$$1\text{m} = 100\text{cm}$$

$$\underline{+1\text{m} = +100\text{cm}}$$

$$6\text{m} = 600\text{cm}$$

Or

$$6 \times 1\text{m} = 6\text{m}$$

$$6 \times 100\text{cm} = 600\text{cm}$$

Function Table

(x)	(y)
m	cm
1	100
2	200
3	300
4	400
5	500
6	600
$x(100)$	y

$$\text{Rule: } 100x = y \text{ or } x = \frac{y}{100}$$

\therefore There are 6 meters in 600 centimeters.

Decomposition

$$\text{unit} \cdot \frac{\text{conversion}}{\text{equivalent unit}}$$

$$= 600\text{cm} \cdot \frac{1\text{m}}{100\text{cm}}$$

$$= \frac{600\text{cm}}{1} \cdot \frac{1\text{m}}{100\text{cm}}$$

$$= \frac{600 \cdot \text{cm} \cdot \text{m}}{100 \cdot \text{cm}}$$

$$= \frac{6 \cdot 100 \cdot \text{m}}{100}$$

$$= 6 \cdot \text{m}$$

$$= 6\text{m}$$

You Try

How many centimeters are in 9 meters?

Example #3

Stacy went to the craft store to buy 2 yards of yarn to knit a scarf. The yarns she wants are measured in inches. How many inches of yarn does Stacy need?

First convert yards to feet, then convert the feet to inches.

Line Model

Unit of <u>Measurement</u>		$1y = 3ft$		$2 \times 1y = 2y$
yards	$1y$	$3ft$	$1y$	$+1y = +3ft$
feet	$3ft$	$3ft$	$3ft$	$2y = 6ft$

Or

We know that 2 yards is equal to 6 feet. Now we will find how many inches are in 6 feet.

Unit of <u>Measurement</u>		$1ft$	$1ft$	$1ft$	$1ft$	$1ft$	$1ft$
feet	$1ft$	$12in$	$12in$	$12in$	$12in$	$12in$	$12in$
inches	$12in$	$12in$	$12in$	$12in$	$12in$	$12in$	$12in$

$1ft = 12in$	
$1ft = 12in$	
$1ft = 12in$	Or
$1ft = 12in$	$6 \times 1ft = 6ft$
$1ft = 12in$	$6 \times 12in = 72in$
$+1ft = +12in$	
$6ft = 72in$	

2 yards = 6 feet = 72 inches

Function Tables

Yards to Feet	
(x)	(y)
y	ft
1	3
2	6
$x(3)$	y

Rule: $3x = y$ or $x = \frac{y}{3}$

Feet to Inches	
(y)	(z)
ft	in
1	12
2	24
3	36
4	48
5	60
6	72
$y(12)$	z

Rule: $12y = z$ or $y = \frac{z}{12}$

Decomposition

$$\begin{aligned} & \text{know unit} \bullet \frac{\text{conversion y}}{\text{equivalent unit}} \bullet \frac{\text{conversion z}}{\text{equivalent unit}} \\ & = 2\text{yd} \bullet \frac{3\text{ft}}{1\text{yd}} \bullet \frac{12\text{in}}{1\text{ft}} \\ & = \frac{2\text{yd}}{1} \bullet \frac{3\text{ft}}{1\text{yd}} \bullet \frac{12\text{in}}{1\text{ft}} \\ & = \frac{2 \bullet \cancel{\text{yd}} \bullet 3 \bullet \cancel{\text{ft}} \bullet 12 \bullet \text{in}}{\cancel{\text{yd}} \bullet \cancel{\text{ft}}} \\ & = 2 \bullet 3 \bullet 12 \bullet \text{in} \\ & = 6 \bullet 12 \bullet \text{in} \\ & = 72 \bullet \text{in} \\ & = 72\text{in} \end{aligned}$$

∴ Stacy will need 72 inches of yarn.

You Try

Ken is baking a cake for his mom's birthday. The cake recipe he is using requires 48 fluid ounces of milk. How many pints of milk will Ken need to buy from the store?

Example #4

Tracy and her sisters are selling lemonade. Tracy made 1 liter of lemonade, Stacy made 2.5 liters of lemonade and Macy made 3500 milliliter of lemonade. How many total milliliters of lemonade did the sisters have to sale?

Line Model

Unit of
Measurement

liters	0.5 L	0.5 L	0.5 L	0.5 L	0.5 L
milliliters	500 mL	500 mL	500 mL	500 mL	500 mL

$$0.5L = 500mL$$

$$0.5L = 500mL$$

$$0.5L = 500mL$$

$$0.5L = 500mL$$

$$+0.5L = +500mL$$

$$2.5L = 2500mL$$

Function Table

(x)	(y)
L	mL
0.5	500
1	1000
1.5	1500
2	2000
2.5	2500

We know $0.5L + 0.5L$ is equal to $1L$, so $1L$ is equal to $1000mL$ and $2.5L$ is equal to $2500mL$.

Tracy	Stacy	Macy
1 L	2.5 L	3500 mL
1000 mL	2500 mL	3500 mL
Total milliliters of lemonade		

$$= 1L + 2.5L + 3500mL$$

$$= 1000mL + 2500mL + 3500mL$$

$$= 1000mL + 2000mL + 500mL + 3000mL + 500mL$$

$$= 6000mL + 1000mL$$

$$= 7000mL$$

∴ The sisters have a total of 7000 milliliter of lemonade to sale.

You Try

Jackson, Antonio and Scott are training for a relay team. During practice, Jackson ran 3.5 kilometers, Antonio ran 2075 meters and Scott ran 4.5 kilometers. How many kilometers did they ran all together?

Assessment:

1. Which of the following unit of measurement is equivalent to 1 gallon?

A. 4 cups A Yes B No

B. 4 quarts A Yes B No

C. 8 pints A Yes B No

D. 8 fluid ounces A Yes B No

2. How many ounces are in 5 pounds? Solve using two different methods.

Assessment: Solution

1. Which of the following unit of measurement is equivalent to 1 gallon?

- A. 4 cups Yes No
- B. 4 quarts Yes No
- C. 8 pints Yes No
- D. 8 fluid ounces Yes No

2. How many ounces are in 5 pounds? Solve using two different methods.

I know there are 16 ounces to 1 pound.

Line Model

Unit of Measurement					
pound	1 lb	1 lb	1 lb	1 lb	1 lb
ounces	16 oz	16 oz	16 oz	16 oz	16 oz

$$1lb = 16oz$$

$$1lb = 16oz$$

$$1lb = 16oz$$

$$1lb = 16oz$$

$$\underline{+1lb = +16oz}$$

$$5lb = 80oz$$

Or

$$5 \times 1lb = 5lbs$$

$$5 \times 16oz = 80oz$$

Function Table

(x) lb	(y) oz
1	16
2	32
3	48
4	64
5	80
x(16)	y

$$\text{Rule: } 16x = y \text{ or } x = \frac{y}{16}$$

$$\therefore 5 \text{ lbs} = 80\text{oz}$$